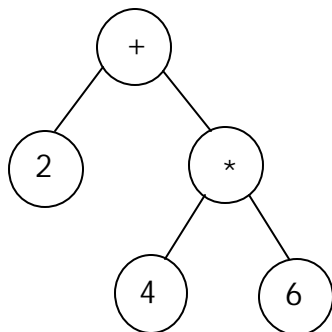


## Lecture 16

Here is the output trace for the expression :  $2+4*6$

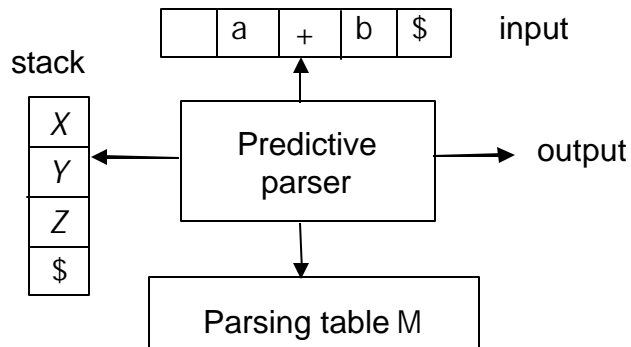
```
>> Expr::isPresent()
  >> Term::isPresent()
    >> Factor::isPresent()
      token: 2 (257)
    << Factor::isPresent() return true
    >> Tprime::isPresent()
      token: + (267)
    << Tprime::isPresent() return false
  << Term::isPresent() return true
  >> Eprime::isPresent()
    token: + (267)
  >> Term::isPresent()
    >> Factor::isPresent()
      token: 4 (257)
    << Factor::isPresent() return true
    >> Tprime::isPresent()
      token: * (269)
    >> Factor::isPresent()
      token: 6 (257)
    << Factor::isPresent() return true
    >> Tprime::isPresent()
      token: (0)
    << Tprime::isPresent() return false
  << Tprime::isPresent() return true
  << Term::isPresent() return true
  >> Eprime::isPresent()
    token: (0)
  << Eprime::isPresent() return false
  << Eprime::isPresent() return true
  << Expr::isPresent() return true
```

**\*\* AST \*\***  
**(2+(4\*6))**



## Non-recursive Predictive Parsing

It is possible to build a non-recursive predictive parser. This is done by maintaining an explicit stack and using a table. Such a parser is called a table-driven parser. The non-recursive LL(1) parser looks up the production to apply by looking up a parsing table. The LL(1) table has one dimension for current non-terminal to expand and another dimension for next token. Each table cell contains one production.



Consider the expression grammar

1	$E$	?	$TE'$
2	$E'$	?	$+TE'$
3			$e$
4	$T$	?	$FT'$
5	$T'$	?	$*FT'$
6			$e$
7	$F$	?	$(E)$
8			<u><math>id</math></u>

Using the table construction algorithm that will be discussed later, we have the predictive parsing table

	<u>id</u>	+	*	(	)	\$
$E$	$E ? TE'$			$E ? TE'$		
$E'$		$E' ? +TE'$			$E' ? e$	$E' ? e$
$T$				$T ? FT'$		
$T'$		$T' ? e$	$T' ? *FT'$		$T' ? e$	$T' ? e$
$F$	$F ? \underline{id}$			$F ? (E)$		

The rows are non-terminals and the columns are the terminals of the expression grammar. The predictive parser uses an explicit stack to keep track of pending non-terminals. It can thus be implemented without recursion.

## LL(1) Parsing Algorithm

The *input buffer* contains the string to be parsed; \$ is the end-of-input marker. The *stack* contains a sequence of grammar symbols. Initially, the stack contains the start symbol of the grammar on the top of \$. The parser is controlled by a program that behaves as follows:

The program considers  $X$ , the symbol on top of the stack, and  $a$ , the current input symbol. These two symbols,  $X$  and  $a$  determine the action of the parser. There are *three* possibilities.

1.  $X = a = \$$ , the parser halts and announces successful completion.
2.  $X = a \neq \$$  the parser pops  $X$  off the stack and advances input pointer to next input symbol.
3. If  $X$  is a nonterminal, the program consults entry  $M[X, a]$  of parsing table  $M$ .
  - a. If the entry is a production  $M[X, a] = \{X \rightarrow UVW\}$ , the parser replaces  $X$  on top of the stack by  $UVW$  (with  $U$  on top). As output, the parser just prints the production used:  $X \rightarrow UVW$ . However, any other code could be executed here.
  - b. If  $M[X, a] = \mathbf{error}$ , the parser calls an error recovery routine

**Example:** let's parse the input string

id + id \* id

using the non-recursive LL(1) parser

<i>Stack</i>	<i>Input</i>	<i>Ouput</i>
$\$E$	$\underline{id}+\underline{id}*\underline{id}\$$	
$\$E' T$	$\underline{id}+\underline{id}*\underline{id}\$$	$E ? TE'$
$\$E' T' F$	$\underline{id}+\underline{id}*\underline{id}\$$	$T ? FT'$
$\$E T' \underline{id}$	$\underline{id}+\underline{id}*\underline{id}\$$	$F ? \underline{id}$
$\$E' T'$	$+\underline{id}*\underline{id}\$$	
$\$E'$	$+\underline{id}*\underline{id}\$$	$T' ? e$
$\$E' T +$	$+\underline{id}*\underline{id}\$$	$E' ? +TE'$
$\$E' T$	$\underline{id}*\underline{id}\$$	
$\$E' T' F$	$\underline{id}*\underline{id}\$$	$T ? FT'$
$\$E' T' \underline{id}$	$\underline{id}*\underline{id}\$$	$F ? \underline{id}$
$\$E' T'$	$*\underline{id}\$$	
$\$E' T' F *$	$*\underline{id}\$$	$T ? *FT'$
$\$E' T' F$	$\underline{id}\$$	
$\$E T' \underline{id}$	$\underline{id}\$$	$F ? \underline{id}$
$\$E' T'$	$\$$	
$\$E'$		$\$T' ? e$
$\$$		$\$E' ? e$